

Collingtree CEVA Primary School



Calculation Policy


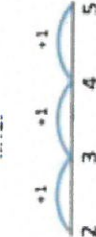


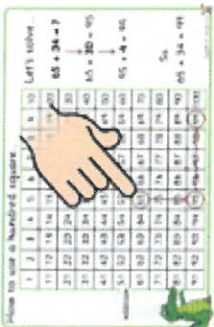

Mrs Bedi


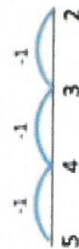

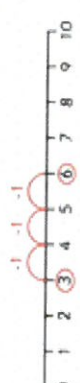
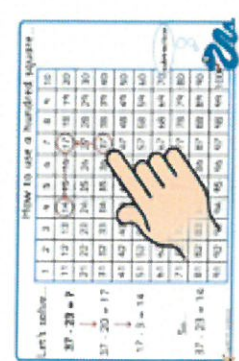
Methods the we use in school for the four operations: + - x ÷

- These methods are taught throughout school consistently.
- When one method is embedded they build upon it with the next method.
- The idea is that they work through each stage of methods to ensure they gain a solid understanding of number and the concept of the operation.

+ - X ÷

Addition

<p>Stage 1</p> <p>Children understand the concept of addition as the combining of 2 or more groups. Children can use the + and = symbols accurately. Calculations should be written on either side of the equals sign so that = is not just interpreted as the answer.</p> $6 + 2 = 8 \quad 8 = 6 + 2$ <p>Children use Numicon and other visual representations to add 2 or more amounts.</p>  <p>Extending to counting up in ones on a number line.</p>  <p>Extending on to using number bonds to count on in bigger jumps</p> 	<p>Stage 2</p> <p>Add 2-digit numbers with units using known number bonds on a number line, eg $12 + 4 =$ (without bridging)</p> <p>Adding 2-digit numbers with single units, bridging through multiples of 10, using a number line.</p> $17 + 4 = 21$  <p>Use 100 square to begin to add 2-digit numbers by counting in tens and ones.</p>  <p>Moving on to less reliance on a 100 square.</p> <p>RECOMMENDED BY THE END OF YEAR 1</p>	<p>Stage 3</p> <p>The number line is extended to partitioning and adding tens then ones when faced with larger numbers.</p> $17 + 14 = 31$  <p>Leading to simple column addition of 2-digit numbers with no carrying using Numicon.</p> <p>Pupils must have a good understanding of place value and partitioning.</p> <p>Partitioning numbers first leading to</p> $\begin{array}{r} 30 + 6 \\ + 10 + 2 \\ \hline 40 + 8 = 48 \end{array}$ <p>Extend to examples which involve 'carrying'</p>
<p>Stage 4</p> <p>Column addition of 2, 3 and 4-digit numbers using expanded methods.</p> <p>Partitioning numbers first leading to</p> $\begin{array}{r} 600 + 40 + 3 \\ + 200 + 20 + 5 \\ \hline 800 + 60 + 8 = 868 \end{array}$ <p>then introducing</p> $\begin{array}{r} 643 \\ + 225 \\ \hline 868 \end{array}$ <p>to</p> $\begin{array}{r} 600 + 40 + 3 \\ + 200 + 70 + 5 \\ \hline 800 + 110 + 8 = 918 \end{array}$ <p>RECOMMENDED BY THE END OF YEAR 3</p>	<p>Stage 5</p> <p>Short written methods using 'carrying'. The carrying digit goes underneath the answer.</p> <p>Using 4-digit numbers leading to decimals</p> $\begin{array}{r} 7893 \\ + 5385 \\ \hline 13278 \\ 11 \end{array}$ $\begin{array}{r} 31.76 \\ + 18.07 \\ \hline 49.83 \\ 1 \end{array}$ <p>RECOMMENDED BY THE END OF YEAR 4</p>	<p>RECOMMENDED BY THE END OF YEAR 2</p> <p>In years 5 and 6, pupils continue practicing formal written methods with increasingly large numbers, including decimal numbers in different contexts and ensuring understanding of place value.</p>

<p>Stage 1</p> <p>Children understand the concept of subtraction as the taking a number away from another. Children use the = and = symbols accurately. Calculations should be written on either side of the equals sign so that = is not just interpreted as the answer.</p> $6 - 2 = 4 \quad 4 = 6 - 2$ <p>Children use Numicon and other visual representations to subtract numbers.</p>  <p>Extend to counting backwards in ones on a number line.</p>  	<p>Stage 2</p> <p>'Find the difference' by counting back on a number line.</p>  $6 - 3 = 3$ <p>Use 100 square to subtract two 2-digit numbers by counting back in tens and ones.</p>  <p>The number line is extended to partitioning and counting back in tens then ones when faced with larger numbers.</p> <p>RECOMMENDED BY END OF YEAR 1</p>	<p>Stage 3</p> <p>Moving on to simple column subtraction of 2 digit numbers with no carrying using practical equipment to support to start with.</p> <p>Pupils must have a good understanding of place value and partitioning.</p> <p>Partitioning numbers first leading to</p> $30 + 6$ $\underline{- 10 + 2}$ $\underline{20 + 4 = 24}$
<p>Stage 4</p> <p>Column subtraction of 2, 3 and 4 digit numbers using expanded methods and support with practical equipment as necessary.</p> <p>Partitioning numbers first leading to</p> $600 + 40 + 3$ $\underline{- 200 + 20 + 1}$ $400 + 20 + 2 = 422$ <p>then introducing to</p> 643 $\underline{- 221}$ 422 $400 + 10 + 8 = 418$ <p>RECOMMENDED BY THE END OF YEAR 3</p>	<p>Stage 5</p> <p>Short written methods using 'exchanging'</p> <p>Using 4-digit numbers leading to decimals</p> 7893 $\underline{- 5385}$ 2508 36.76 $\underline{- 13.87}$ 22.89 <p>RECOMMENDED BY THE END OF YEAR 4</p>	<p>RECOMMENDED BY THE END OF YEAR 2</p> <p>In years 5 and 6, pupils continue practicing formal written methods with increasingly large numbers so they become fluent and precise.</p>

Stage 1

Children begin to understand the concept of multiplication and recognise the 'x' symbol
 Children use *Numicon* and other visual representations to show groupings of amounts



3 lots of 2 $3 \times 2 = 6$



4 groups of 3 $4 \times 3 = 12$

RECOMMENDED BY END OF YEAR 1

Stage 2

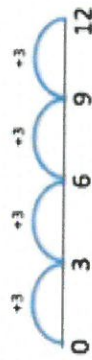
To describe multiplication as an array and begin to recognise multiplication can be done in any order. Use the 'x' symbol with confidence.

Using an *array* using *Place Value Counters*.



To use a *number line* to show multiplication as *repeated addition*.

$4 \times 3 = 12$ or $3 + 3 + 3 + 3 = 12$



RECOMMENDED BY THE END OF YEAR 2

Stage 3

To use a formal written method 2-digit by 1-digit (support with equipment when needed)
 – by the end of year 3 and 3-digit by 1-digit by the end of year 4.

Short Multiplication

23×7
 $E = 20 \times 10 = 200$

$$\begin{array}{r} 23 \\ \times 7 \\ \hline 161 \\ \hline \end{array}$$

leading to

Stage 4

To use formal written methods to multiply 4-digit numbers by 1 or 2-digit numbers, extending to long multiplication.


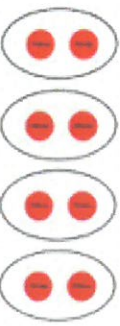
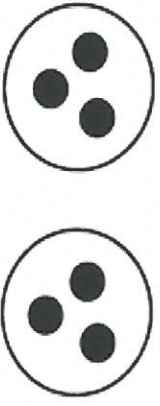
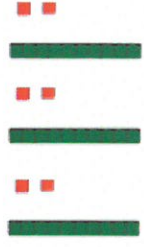
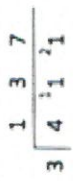
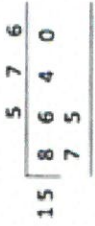

Long Multiplication

124×26
 $E = 100 \times 30 = 3000$

$$\begin{array}{r} 124 \\ \times 26 \\ \hline 744 \\ + 2480 \\ \hline 3224 \\ \hline \end{array}$$

Extend to 4-digit by 2-digit and include decimals.

CHILDREN SHOULD BE PRACTISING AND SECURING THESE FORMAL WRITTEN METHODS IN YEARS 5 AND 6.

<p><u>Stage 1</u></p> <p>Children begin to understand the concept of division as 'grouping' and recognise the '÷' symbol. Use a range of models and images to show 'sharing' an amount equally.</p>  <p>6 shared equally by 3 is 2 $6 \div 3 = 2$</p> <p>Sharing by using practical equipment</p>  <p>8 shared equally by 4 is 2 $8 \div 4 = 2$</p> <p>RECOMMENDED BY THE END OF YEAR 1</p>	<p><u>Stage 2</u></p> <p>To describe division as sharing an amount equally. To understand division within the multiplication tables $U \div U$ and $TU \div U$.</p> <p><i>To use the ÷ sign</i></p>  <p>$6 \div 2 = 3$</p> <p>RECOMMENDED BY THE END OF YEAR 2</p>	<p><u>Stage 3</u></p> <p>To use short division method to divide numbers, initially using equipment then move on to finding remainders.</p>  <p>leading to</p> $\begin{array}{r} 1 \ 2 \\ 3 \overline{) 6} \end{array}$ <p>RECOMMENDED BY THE END OF YEAR 3</p>
<p><u>Stage 4</u></p> <p>To use short division method to divide 3-digit numbers, including decimals.</p> $411 \div 3 = 137$ $541 \div 5 = 108 \text{ r } 1$  <p>RECOMMENDED BY THE END OF YEAR 4</p>	<p><u>Stage 5</u></p> <p>To use long division method to divide 3 and 4 digit numbers by 2-digit numbers. Where appropriate answers should be calculated with decimal places.</p> $8640 \div 15 = 576$  $114 \div 10 = 11 \text{ r } 4$  <p>RECOMMENDED BY THE END OF YEAR 5</p>	<p>In year 6, pupils continue practicing formal written methods with increasingly large numbers so they become fluent and precise. They are able to record remainders as decimals and fractions.</p>